

# Introduction to Sequencing-based Spatial Transcriptomics Data Analysis

Spatially variable genes and differential spatial patterns

#### Outline

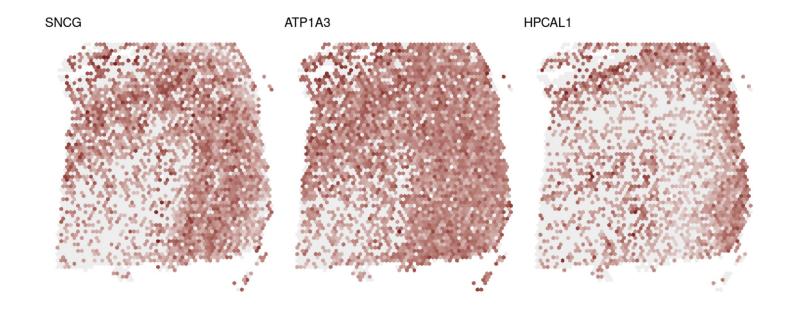
• Spatially variable gene (SVG) methods

(SpatialDE, nnSVG, SPARK-X, DESpace, C-DISE)

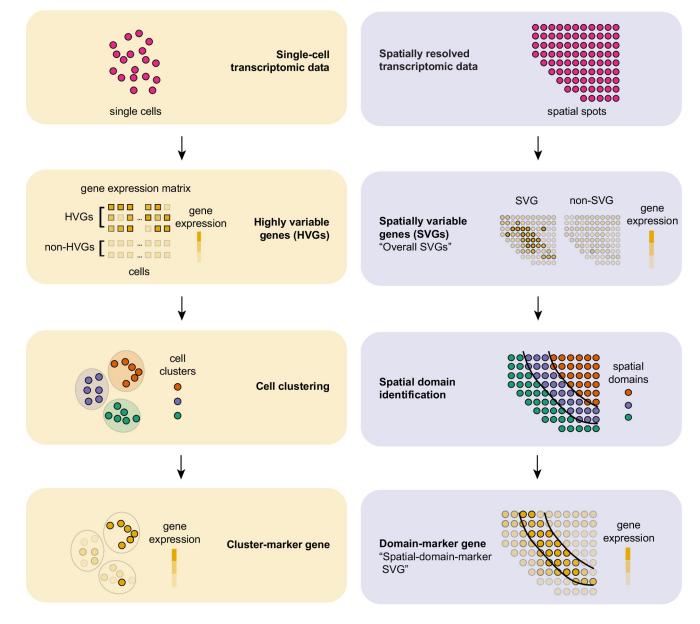
- Feature-set signatures
- Differential analysis with multi-sample and multi-condition

# Spatially variable genes (SVGs)

genes whose expression profiles vary across tissue.

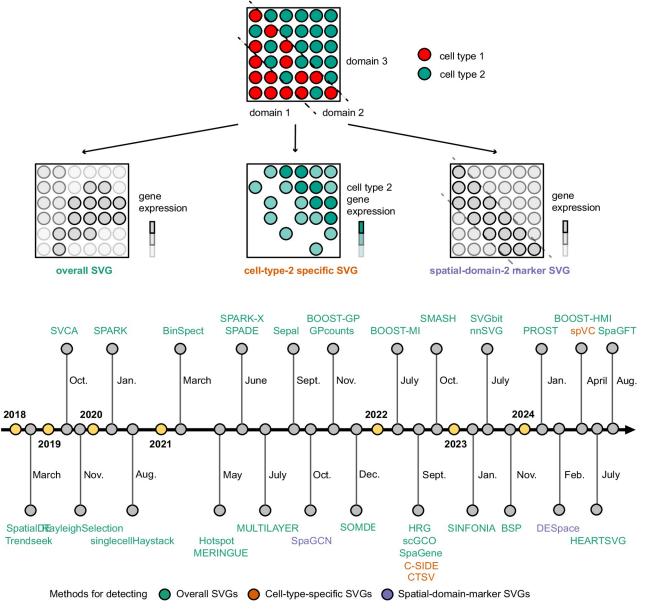


#### HVGs vs. SVGs



Yao et.al., 2025

#### SVGs approaches



### Overall SVG - SpatialDE

#### SpatialDE: identification of spatially variable genes

Valentine Svensson ☑, Sarah A Teichmann & Oliver Stegle ☑

Nature Methods 15, 343–346 (2018) Cite this article

- Model assumption: normalized gene expression  $Y = (y_1, ..., y_n)$  follows an n-dimensional Gaussian distribution, containing:
  - a spatial covariance component
  - a non-spatial error variance component
- Spatial covariance: squared exponential covariance matrix based on coordinates of cells
- Null hypothesis:  $H_0$ :  $\sigma_s^2 = 0$  (non spatial covariance component); tests via a **Likelihood ratio test**
- Computational cost scales **cubically** with the number of cells

$$\mathbf{Y} \sim \mathsf{MVN}(\boldsymbol{\mu}, \, \sigma_s^2 \cdot \mathbf{K}(\mathbf{s}) + \boldsymbol{\delta} \cdot \mathbf{I})$$

$$k(x_i, x_j) = \exp\left(-\frac{|x_i - x_j|^2}{2 \cdot l^2}\right)$$

#### Overall SVG - nnSVG

# nnSVG for the scalable identification of spatially variable genes using nearest-neighbor Gaussian processes

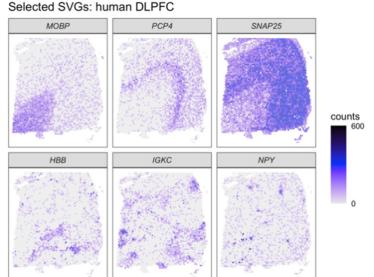
Lukas M. Weber, Arkajyoti Saha, Abhirup Datta, Kasper D. Hansen & Stephanie C. Hicks ☑

Nature Communications 14, Article number: 4059 (2023) | Cite this article

- More scalable: nearest-neighbor Gaussian process (SpatialDE: full Gaussian process)
- Spatial covariance: exponential covariance (SpatialDE: squared exponential covariance)
- Computational cost:  $(O(n*m^3))$ , n = number of spatial locations; m = number of nearest neighbors

$$\mathbf{y} \sim N(\mathbf{X}oldsymbol{eta}, \widetilde{\Sigma}(oldsymbol{ heta}, au^2))$$

$$C_{ij}(oldsymbol{ heta}) = \sigma^2 \expigg(rac{-||\mathbf{s_i} - \mathbf{s_j}||}{l}igg)$$



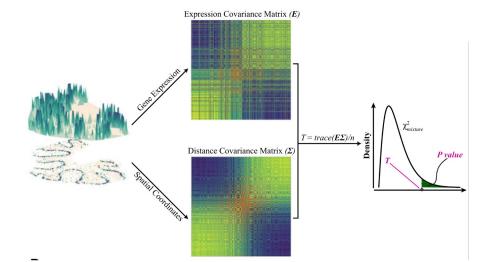
#### Overall SVG - SPARK-X

Non-parametric spatial statistic

SPARK-X: non-parametric modeling enables scalable and robust detection of spatial expression patterns for large spatial transcriptomic studies

Method | Open access | Published: 21 June 2021 Volume 22, article number 184, (2021) Cite this article

- Spatial modeling: performs kernel smoothing without specifying covariance
- Tests whether two similarity matrices are independent using Pearson correlation
  - One similarity matrix is based on the gene's expression
  - The other is based on the kernel-transformed spatial locations



# Spatial-domain DE: DESpace

# DESpace: spatially variable gene detection via differential expression testing of spatial clusters

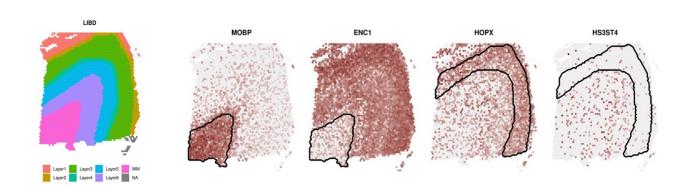
Peiying Cai, Mark D Robinson, Simone Tiberi

Bioinformatics, Volume 40, Issue 2, February 2024, btae027,

- Key point: spatial domains taken as proxy for the actual spatial information.
  - Assumption: spatial domains successfully summarize spatial information.
- Fit a negative binomial (NB) model, with spatial domains as covariate.
- Null hypothesis:  $H_0: \quad \beta_{g1} = \cdots = \beta_{gC}$  tests via a **Likelihood ratio test**

$$x_{gi} \sim NB(\mu_{gi}, \phi_g),$$

$$log(\mu_{gi}) = log(M_i) + \beta_{gc}$$



#### Cell type-specific DE: C-SIDE

# Cell type-specific inference of differential expression in spatial transcriptomics

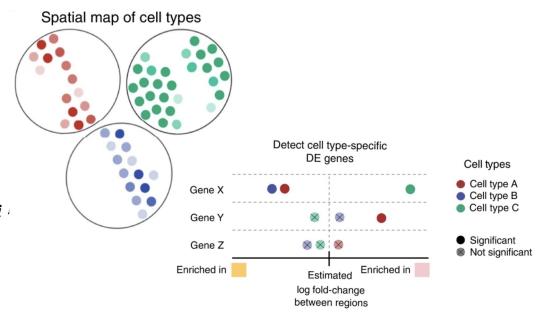
<u>Nature Methods</u> **19**, 1076–1087 (2022) | <u>Cite this article</u>

- Model assumption: gene expression  $Y = (y_1, ..., y_n)$  follows **Poisson** distribution
- Key idea:
  - For each cell type, C-SIDE learns a smooth spatial curve showing how gene expression

changes across the tissue

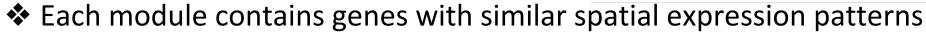
- Use L smooth basis functions to build the curve
- Test SVG specific to cell type k if  $\beta_{k1} = \cdots = \beta_{kL} = 0$

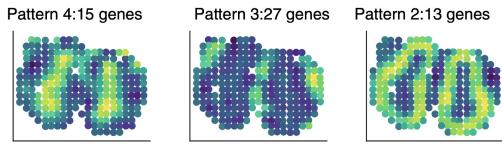
$$\log(\mu_i(\mathbf{s}_i)) = \gamma_0 + \log \ell_i + \log\left(\sum_{k=1}^K \eta_k(\mathbf{s}_i)w_{ik}\right) + \epsilon_i$$
$$\log(\eta_k(\mathbf{s}_i)) = \beta_{k0} + \sum_{\ell=1}^L \beta_{k\ell}b_{\ell}(\mathbf{s}_i),$$



### Application of SVGs

- Identify informative genes for downstream analyses
- Downstream analysis:
  - Spatial domains
    - partition a tissue slice into regions
    - Cells/spots within the same domain have similar expression profiles
  - Spatial gene modules
    - Cluster overall SVGs into modules





#### Feature-set analyses - AUCell

- Instead of focusing on single genes, we can also check pathways or gene modules
- AUCell identify cells with an active 'gene set'
  - For each cell, rank all genes by expression
  - For each gene set, compute AUC (Area Under the Curve): measure how enriched the gene set is among the top ranked genes in that cell
- Signature scores summarize functional signals (e.g., immune activation, neuronal signaling)
- Helps link gene sets to cell states, differentiation, or other biological processes

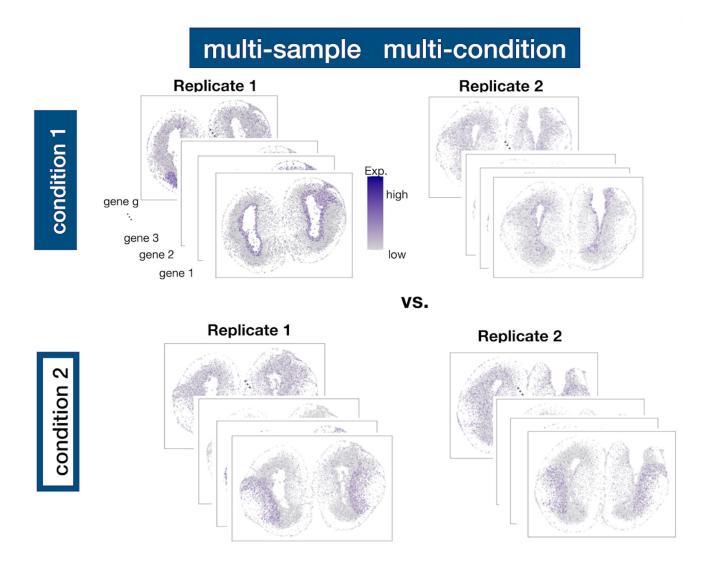
#### SCENIC: single-cell regulatory network inference and clustering

Sara Aibar, Carmen Bravo González-Blas, Thomas Moerman, Vân Anh Huynh-Thu, Hana Imrichova, Gert Hulselmans, Florian Rambow, Jean-Christophe Marine, Pierre Geurts, Jan Aerts, Joost van den Oord, Zeynep Kalender Atak, Jasper Wouters & Stein Aerts 

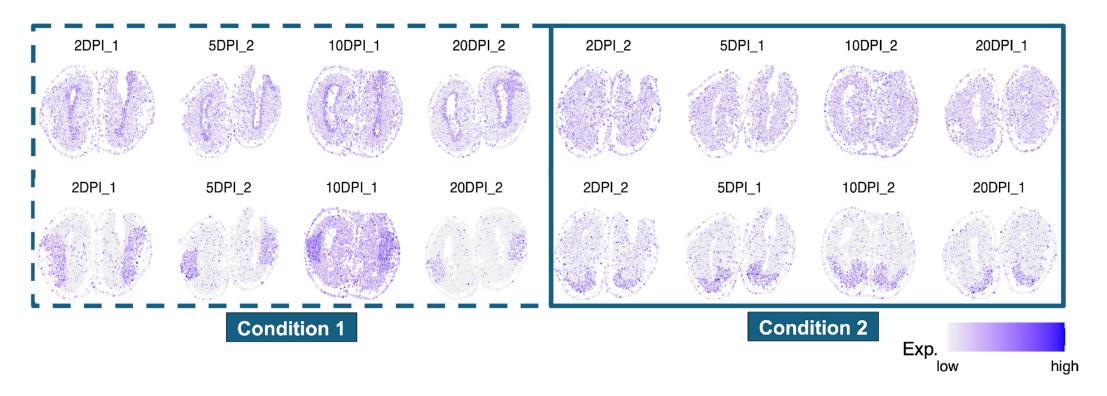
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Nature Methods 14, 1083–1086 (2017) Cite this article

#### Differential analysis with multiple samples and multiple conditions



# Differential spatial patterns (DSP)



DSP genes are those whose spatial expression patterns change across groups, such as different treatment conditions or time phases.

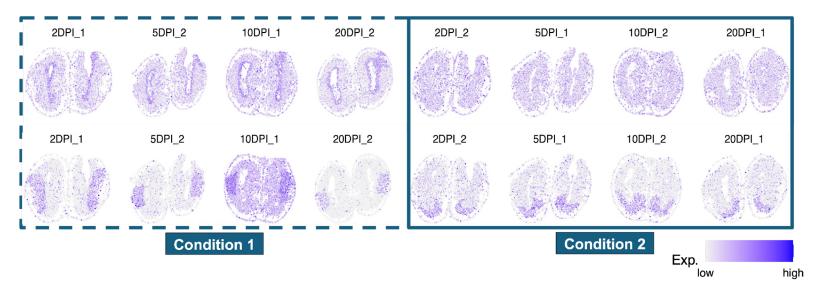
#### **DESpace**



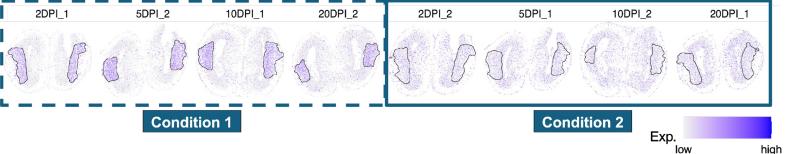


Mark Robinson Simone Tiberi

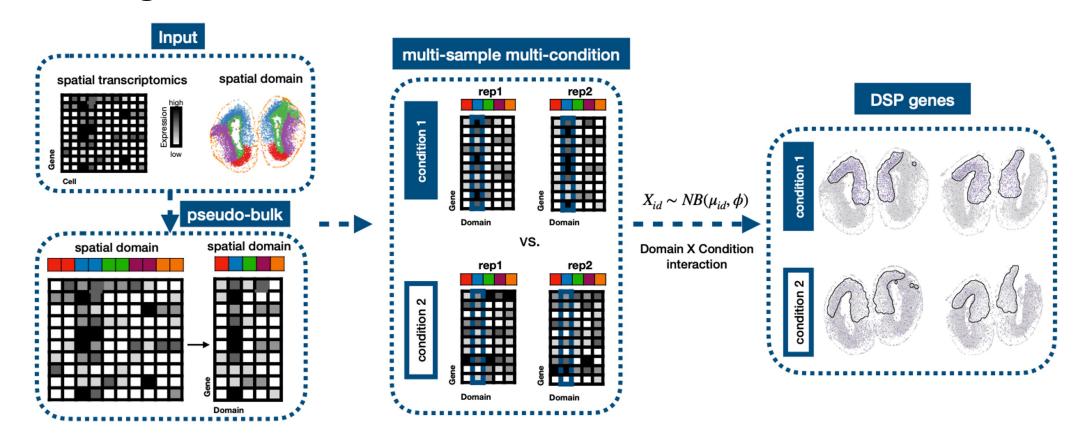
1. Global test: detect DSP genes.



2. Individual cluster test: identify the spatial clusters where gene abundance varies across conditions



#### Methodological details



$$X_{id} \sim NB(\mu_{id}, \phi),$$
 (1)

$$\log(\mu_{id}) = \log(M_{id}) + \beta_d + \beta_{c_i} + \beta_{c_i d}, \qquad (2)$$

for 
$$i = 1, ..., N, d = 1, ..., D,$$
 (3)

and 
$$c_i = 1, \dots, N_c,$$
 (4)

# Methodological details

Test for DSP via a quasi-likelihood F-test:

$$H_0$$
:  $\beta_{c_i d} = 0$ , (5)  
for  $c_i = 1, ..., N_c$ , and  $d = 1, ..., D$ ;  
 $H_1$ : otherwise. (6)

Under the null hypothesis, the cluster effect on gene expression are consistent across groups, while under the alternative hypothesis, the cluster effect varies between groups.

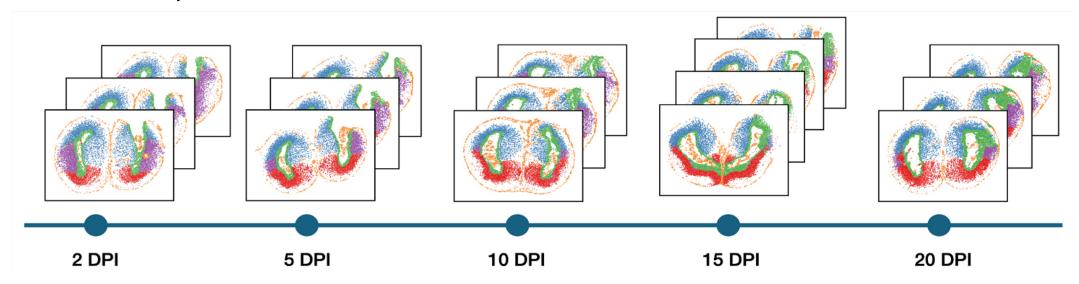
• To identify the **key** individual spatial domain, we test:

$$H_0 : \beta_{c_i d} = 0, \text{ for } c_i = 1, \dots, N_c;$$
 (7)

$$H_1$$
: otherwise. (8)

#### Application to real data

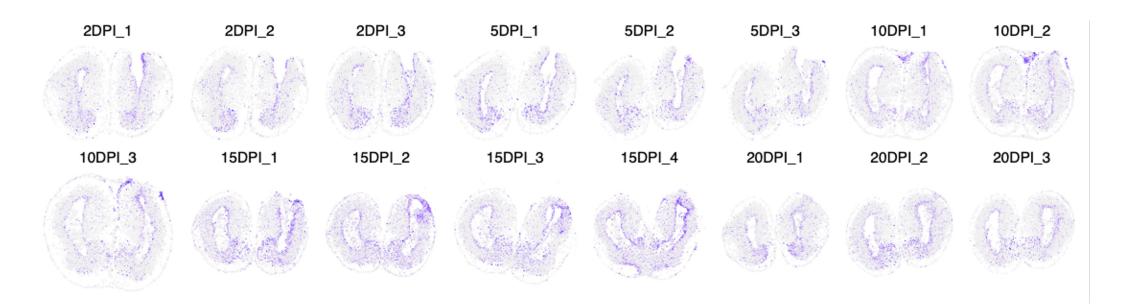
- ARTISTA (Stereo-seq) dataset captures axolotl brain regeneration at single-cell resolution
- 16 samples from 5 time points, i.e., days post-injury (DPI)
- 5 consistent spatial clusters



### Application to real data

DSP gene example

TNC: a glycoprotein in adult neurogenic niches, involved in tissue repair and regeneration



#### Take-home messages

- SVGs capture expression patterns that vary across tissue structure.
- Different SVG methods incorporate spatial information in distinct ways and could detect different types of structure.
- SVGs enable downstream analyses, such as spatial domain detection and spatial gene module identification.
- With multi-sample, multi-condition datasets, we can identify differential spatial patterns across conditions.

#### References

