



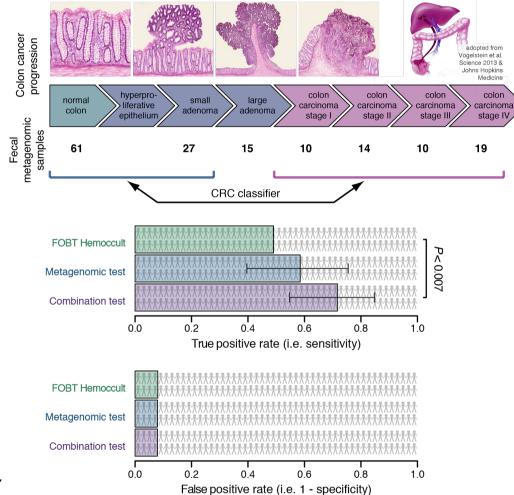


# Machine learning / statistical modelling of metagenomic data

#### Project 3

Spring School Bioinformatics and computational approaches in Microbiology Alessio Milanese, Lukas Malfertheiner

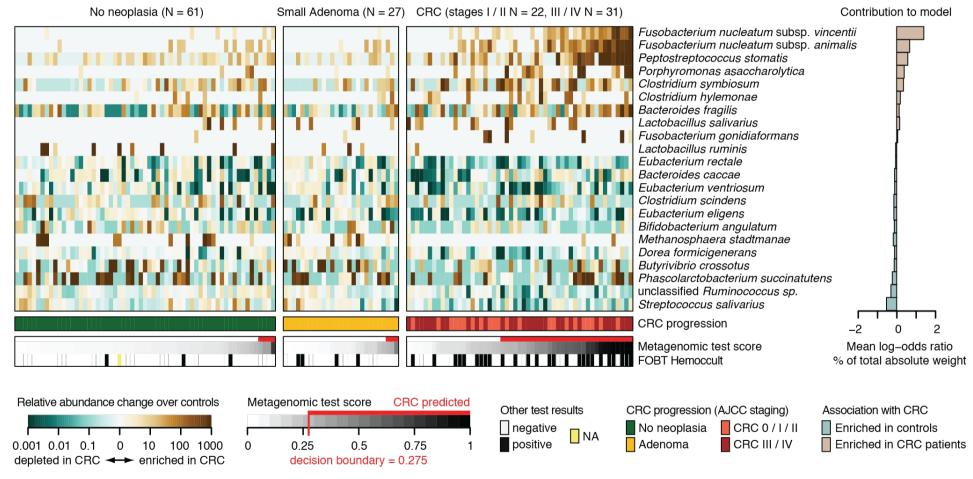
## **Colorectal cancer example (continued)**



- Collected stool samples from 46 colorectal cancer (CRC) patients and 60 healthy controls
- Used metagenomic sequencing and profiled gut bacterial species
- Can microbiome differences be used for non-invasive detection of cancer?
- How does metagenomic detection compare to standard noninvasive diagnostic test (FOBT)?

[Zeller\*, Tap\*, Voigt\* et al., Mol. Syst. Biol. 2014]

## A microbiome "signature" of colorecatal cancer



[Zeller\*, Tap\*, Voigt\* et al., Mol. Syst. Biol. 2014]

### **Descriptive statistics versus statistical modeling**

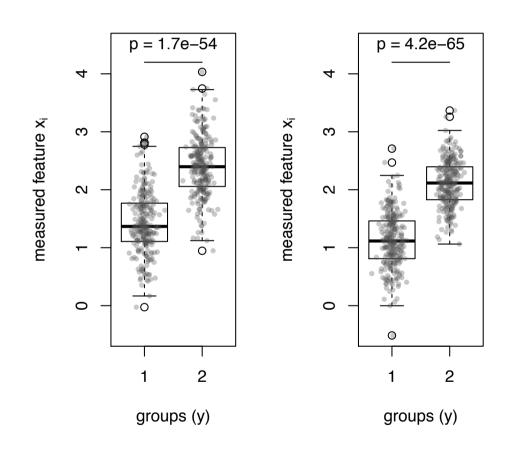
#### Hypothesis testing:

Could the observed difference also be observed by chance?

#### Modeling:

Given only the measurement, can we tell which group the measurement corresponds to?

 Recall that *P*-values depend on both effect size and sample size!



# Why statistical modelling / machine learning?

- Modeling ideally extracts the essence of a biological phenomenon
- Model needed to make predictions on new data (necessary e.g. for microbiome-based diagnostics)
- Prediction accuracy is often a more meaningful measure of association than statistical significance of differences
- Suitable methods can select predictive taxa (and ignore others)
- Sparse statistical models are based on only "few" taxa, therefore useful for microbiome biomarker / signature extraction

$$y_i = f(\mathbf{x}_i) + \varepsilon$$

For *i* samples / patients  $y_i$  – label (e.g. disease or control), always binary herein  $x_i$  – features (e.g. species abundance profile, a vector) f – our model  $\epsilon$  – modeling error

# Introduction to notation and input data format

 Feature data X (also observations, predictors): n x p matrix x<sub>ij</sub> species/gene abundances in rows (i), samples/patients in columns (j)

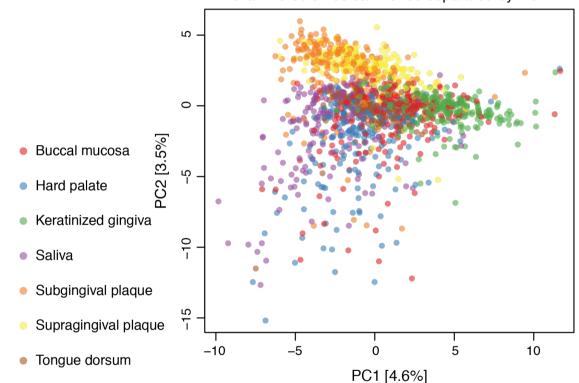
observations based on which we wish to make predictions  $\mathbf{x}_i$  denotes the feature vector, i.e. abundance profile, for the i-th sample

• **Label** data **y** (also dependent variable, response): vector of length n, containing binary values in our cases

the phenomenon which we wish to predict: disease vs. healthy, response vs. non-response etc.

# **Ordination versus modelling (I)**

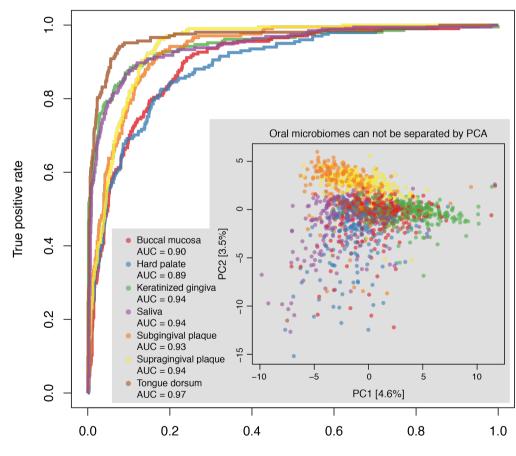
 Using PCoA (with various dissimilarity measures), it is difficult to resolve for each oral microbiome sample the precise sampling site.



Oral microbiomes can not be separated by PCA

# **Ordination versus modelling (I)**

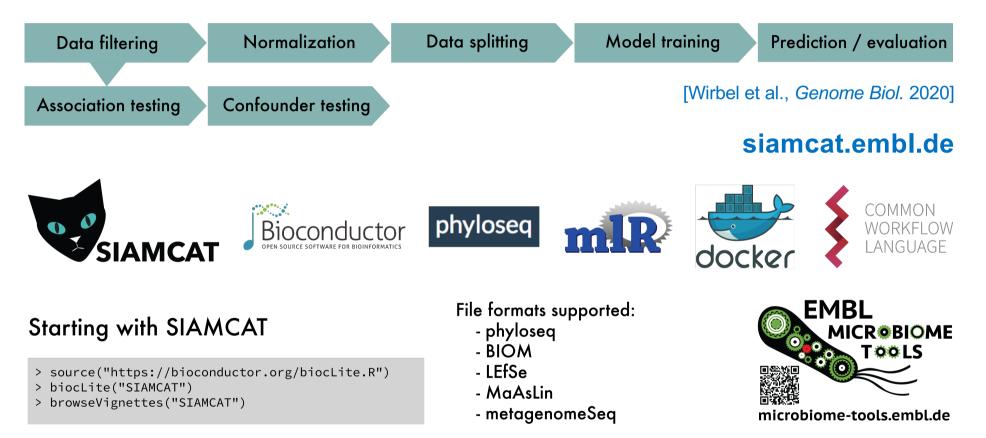
- Using PCoA (with various dissimilarity measures), it is difficult to resolve for each oral microbiome sample the precise sampling site.
- Statistical models, in contrast, can very accurately recognize sample origin.



False positive rate

ROC curves for LASSO models (each vs rest)

# A typical machine learning workflow



This workflow is implemented in the SIAMCAT Bioconductor package, which we will explore in detail in the practical.

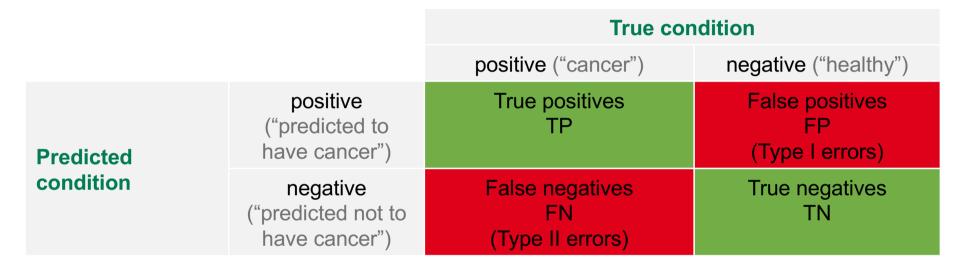
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# What to use as input (features)?

- Use your domain expertise to engineer features that are likely predictive of the phenomenon of interest – microbiome examples:
  - Species abundances (or higher / lower resolution taxonomic profiles)
  - Metabolic pathway abundance (e.g. KEGG / CAZy maps)
  - Functional gene annotations (GO terms, domains, ...)
  - Orthologous gene families (COGs, eggNOG families, ...)
  - Toxins, virulence factors, ABX resistance genes, ...
- Consider interpretability predictive species/metabolic pathways may be preferred over k-mers or log-ratios
- Importantly, do NOT use the label information for selecting features for modeling (more on this later)

# Model evaluation (classification)

In many applications, classes aren't equal - neither are errors!



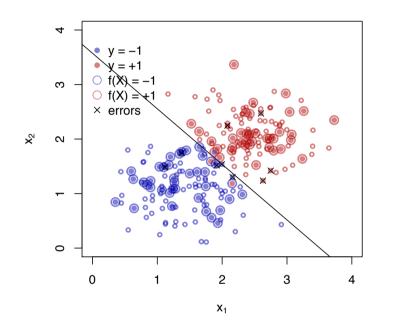
True positive rate (TPR, **sensitivity**, **recall**) True negative rate (TNR, **specificity**) False positive rate (FPR, 1 – specificity )

 are all independent of prevalence (fraction of positives in the population) Precision (positive pred. value, PPV) False discovery rate (FDR, 1 – precision)

 are both dependent on prevalence (fraction of positives in the population)

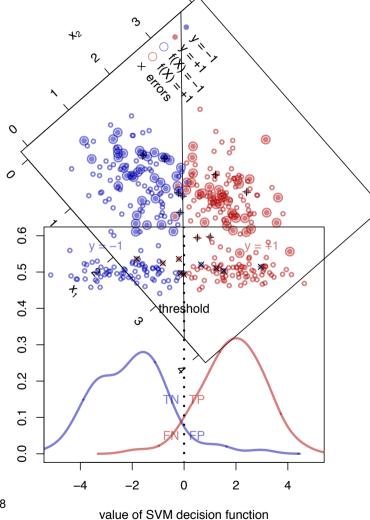
[these and more measures on en.wikipedia.org/wiki/Evaluation\_of\_binary\_classifiers]

# **Model evaluation II – ROC curves**

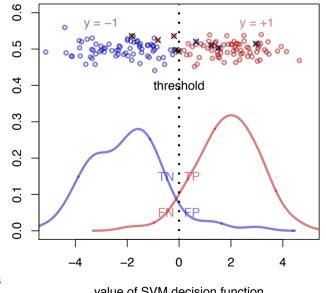


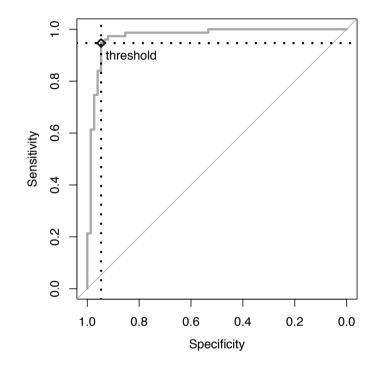
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# **Model evaluation II – ROC curves**



### Model evaluation II – ROC curves





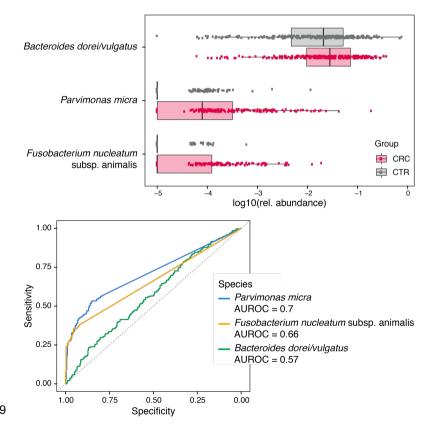
- Change decision threshold to obtain other trade-• offs between sensitivity and specificity
- Receiver operating characteristic (ROC) curve • plots all of them
- Area under the ROC curve as a summary statistic

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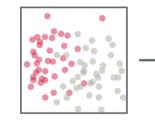
value of SVM decision function

# **ROC curves from single features / distances**

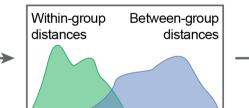
 Enrichment of a species in disease group can be directly quantified using ROC curves (disease biomarker).



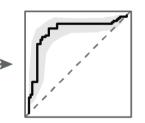
 Separation between groups in terms of pairwise dissimilarities can also be assessed using ROC curves.



Distances (beta-diversity)



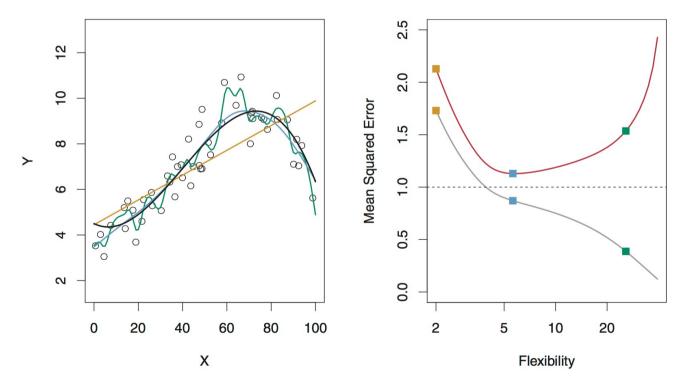
**Distance histograms** 



Separation quantified by AUROC

# Model evaluation III – assessing generalization

- What might seem a good idea at first: Minimizing the training error...
  But with increasing flexibility, models will fit the training data better and better.
- Better: maximize generalization to new data sets...
  Since overfitting the training data will result in poor generalization (i.e. large test error)



Here for illustration, smoothing splines are used where model flexibility / complexity increases with the degree of the polynomials.

[James, Witten, Hastie & Tibshirani, *Springer* 2013]

# Resampling data for external validation or cross validation

Some data needs to be reserved for model evaluation....

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Some data – always! – needs to be reserved for model evaluation....

Validation on external data

training set	test set

- Train model on training set
- Test on test set
- Assess error on test predictions

Cross-validation (CV)



total number of samples (split into 5 subsets)

- For each CV fold:
  - Train a model on training set
  - Predict on the test set
- Either concatenate or average predictions from (all) test sets to estimate error
- More efficient use of (training) data

total number of samples (split into 2 subsets)

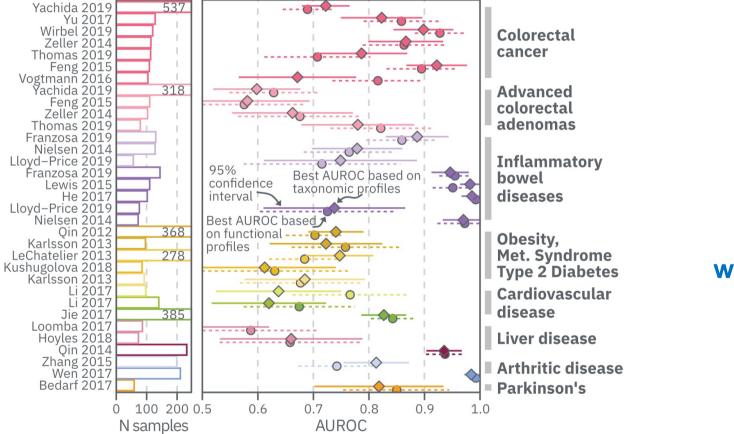
# **Cross-validation pitfalls II**

- Cross validation works under the i.i.d. assumption (observations have the same probability distribution and are mutually independent)
  - E.g. a series of (fair or unfair) coin flips is i.i.d. as the next flip doesn't depend on the previous ones.
- However, biological samples are rarely completely independent:
  - Multiple time-point measurements from the same subject or related subjects
  - Spatial structure / dependencies between measurements
- Data (sets) are not always identically distributed
  - Batch effects: e.g. experiments or diagnostic tests performed in different labs (by different technicians, at different times, using different reagent lots, ...) may exhibit (subtle) distributional shifts

# Take home messages

- Model fitting is easy, model evaluation is not at all!
  Understand the generalization assessed consult experts!
- Beware of overfitting especially on small data sets, especially with complex algorithms!
  Typically N > 50, better > 100 per group is a requirement; start with simple algorithms first
- Trade off interpretability (white-box models) and maximal prediction accuracy wisely!
- Diagnostic application is relatively straightforward, but underlying mechanisms are generally difficult to glean from models (predictability does NOT imply causality!)

#### **Outlook – disease classification using SIAMCAT**



#### www.siamcat.embl.de

[Wirbel et al., Genome Biol. 2020]